

Compare and order

Remember to START with the largest digits - they have the most value.

$$54,353 < 60,210$$

If the digits are the same, move down to the next

$$542,478 < 542,502$$

Remember to check the column value
 $99,782 < 323,251$

Value of digits

<u>Millions</u>			<u>Thousands</u>			<u>Ones</u>		
<u>100s</u>	<u>10s</u>	<u>1s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>	<u>100s</u>	<u>10s</u>	<u>1s</u>
1	2	3	4	5	6	7	8	9

$$123,456,789 =$$

One hundred and twenty-three million,
four hundred and fifty-six thousand,
seven hundred and eighty-nine

$$123,000,000 + 456,000 + 789$$

Counting in powers of 10

Counting forwards (without bridging):

$$\text{e.g. } 43,534 + 1,000 = 44,534$$

Counting backwards (no exchanging):

$$\text{e.g. } 745,643 - 100 = 745,543$$

Counting forwards (bridging):

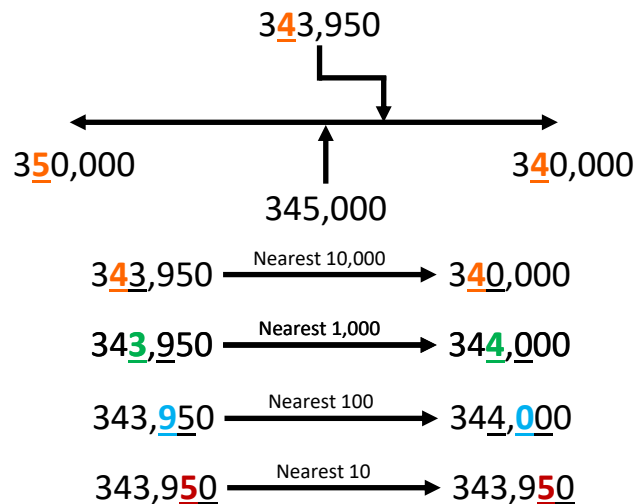
$$\text{e.g. } 5,593 + 10 = 5,603$$

Counting backwards (exchanging):

$$\text{e.g. } 8,042,435 - 100,000 = 7,942,435$$

Rounding to the nearest...

E.g. Rounding to the nearest 10,000



Year 5/6 - Place Value

Roman Numerals

$$I = 1 / V = 5 / X = 10 / L = 50$$
$$C = 100 / D = 500 / M = 1,000$$

$$XXVI = 10 + 10 + 5 + 1 = 26$$

$$XXIV = 10 + 10 + (5 - 1) = 24$$

Negative numbers

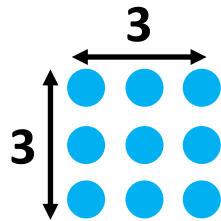
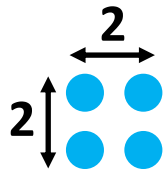


Square numbers

A **square number** is the product of 2 of the same number (when a number is multiplied by itself)

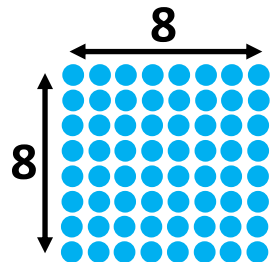
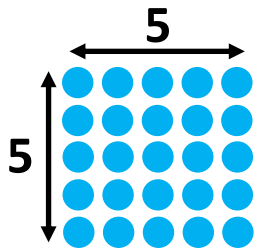
$$2^2 = 2 \times 2 = 4$$

$$3^2 = 3 \times 3 = 9$$



$$5^2 = 5 \times 5 = 25$$

$$8^2 = 8 \times 8 = 64$$

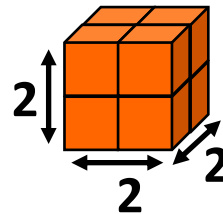


Year 5/6 - Number

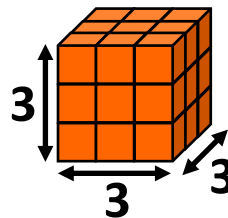
Cube numbers

A **cube number** is the product of three numbers

$$2^3 = 2 \times 2 \times 2 = 4 \times 2 = 8$$



$$3^3 = 3 \times 3 \times 3 = 9 \times 3 = 27$$



Prime numbers

Prime numbers are numbers (larger than 1) with only 2 factors: themselves and 1.

Numbers which are not prime are called **composite numbers**.

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

↑ Prime numbers up to 100

<u>Term</u>	<u>Definition</u>	<u>Other Vocabulary</u>		<u>Term</u>	<u>Definition</u>
Sum / total	The result when two or more numbers are added together	<u>Term</u>	<u>Definition</u>	Consecutive	Consecutive numbers are integers which follow in order (e.g. 5, 6, 7, 8, 9)
Difference	Result when a smaller number is taken away from a larger number				
Product	Result when two or more numbers are multiplied together	Operations	+ (add), - (subtract), x (multiply), ÷ (divide)	Descending Order	Numbers which are in descending order decrease in amount/value
Quotient	Result when one number is divided by another	Integer	A negative or positive whole number	Ascending Order	Numbers which are in ascending order increase in amount

$$\begin{array}{r} 45,853 \\ + 23,463 \\ \hline 6 \end{array}$$

Written Addition

$$\begin{array}{r} 45,853 \\ + 23,463 \\ \hline 16 \end{array}$$

$$\begin{array}{r} 45,853 \\ + 23,463 \\ \hline ,316 \\ \hline 1 \end{array}$$

$$\begin{array}{r} 45,853 \\ + 23,463 \\ \hline 69,316 \\ \hline \end{array}$$

$$\begin{array}{r} 45,853 \\ + 23,463 \\ \hline 9,316 \\ \hline \end{array}$$

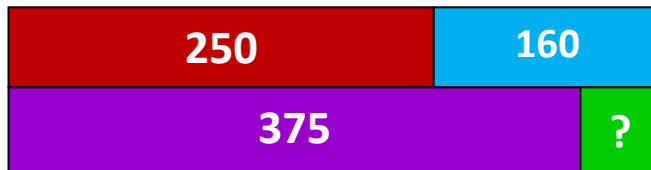


Year 5/6 - Addition and Subtraction

Multi-step problems

A milkman has **250 bottles of milk**.
He collects **160 more** during the morning.
During his shift, he **delivers 375 bottles**.
How many bottles are remaining?

$$250 + 160 - 375 = ? = 35$$



$$\begin{array}{r} 80,134 \\ - 33,241 \\ \hline 3 \end{array}$$

Written Subtraction

$$\begin{array}{r} 80,134 \\ - 33,241 \\ \hline 93 \end{array}$$

$$\begin{array}{r} 80,134 \\ - 33,241 \\ \hline ,893 \end{array}$$

$$\begin{array}{r} 80,134 \\ - 33,241 \\ \hline 46,893 \end{array}$$

$$\begin{array}{r} 80,134 \\ - 33,241 \\ \hline 6,893 \end{array}$$

Mental +/-

Consider if a mental strategy would be better.
2,000 - 1,286 could be solved using written subtraction. However, counting up could be quicker.

$$1,286 + 4 = 1,290$$

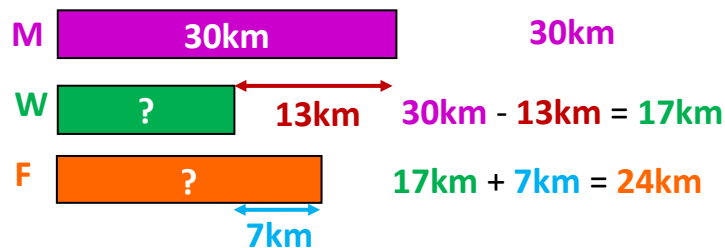
$$1,290 + 10 = 1,300$$

$$1,300 + 700 = 2,000$$

$$2,000 - 1,286 = 700 + 10 + 4 = 714$$

On **Monday**, Sophie ran **30km**.

On **Wednesday**, she ran **13km fewer** than **Monday**. On **Friday**, she ran **7km more** than **Wednesday**. **How far did she run that week?**



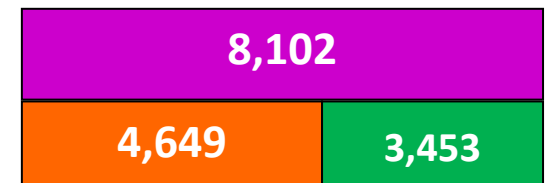
$$30\text{km} + 17\text{km} + 24\text{km} = 71\text{km}$$

Inverse

$$3,453 + 4,649 = 8,102$$

$$8,102 - 4,649 = 3,453$$

$$8,102 - 3,453 = 4,649$$



Written

Multiplication

$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 9 \end{array}$$

$$\downarrow$$

$$5,853$$

$$\begin{array}{r} 1 \times 23 \\ \hline 59 \end{array}$$

$$\downarrow$$

$$5,853$$

$$\begin{array}{r} 2 \times 23 \\ \hline ,559 \end{array}$$

$$\downarrow$$

$$5,853$$

$$\begin{array}{r} 2 \times 23 \\ \hline 17,559 \end{array}$$

$$\downarrow$$

$$5,853$$

$$\begin{array}{r} 4 \times 23 \\ \hline 17,559 \end{array}$$

$$\underline{\quad}$$

$$60$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 117,060 \\ \hline 134,619 \end{array}$$

$$\begin{array}{r} \uparrow \\ 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 117,060 \end{array}$$

$$\begin{array}{r} \uparrow \\ 5,853 \\ \times 23 \\ \hline 17,559 \\ 1 \times 23 \\ \hline 7,060 \end{array}$$

$$\begin{array}{r} \uparrow \\ 5,853 \\ \times 23 \\ \hline 17,559 \\ 1 \times 23 \\ \hline ,060 \end{array}$$

Year 5/6 -

Multiplication and Division

X and ÷ by 10 / 100 / 1,000

Each column is 10x bigger than the column before

$x/\div 10$ - move **up/down 1** column

$x/\div 100$ - move **up/down 2** columns

$x/\div 1,000$ - move **up/down 3** columns

$$45,000 \div 1,000 = 45$$

$$105 \times 100 = 10,500$$

Multiples and factors

Multiple: Can be divided evenly by **the number**

eg. 8 / 32 / 64 / 800 are all **multiples** of 8

Factor: Can be multiplied to create

the number

e.g. 1 / 2 / 3 / 4 / 6 / 12 are **factors** of 12

Mental x/÷

$$300 \times 4 = 3 \times 4 \times 100 = 12 \times 100 = \underline{1,200}$$

$$720 \div 9 = 72 \div 9 \times 10 = 8 \times 10 = \underline{80}$$

$$24 \times 19 = 24 \times 20 - 24 = 480 - 24 = \underline{456}$$

Written Division

$$\begin{array}{r} 1 \\ 8 \overline{) 8,192} \end{array}$$

How many 8s in 8?

$$8 \div 8 = 1$$

$$\begin{array}{r} 1,0 \\ 8 \overline{) 8,192} \end{array}$$

How many 8s in 1?

$$1 \div 8 = 0 \text{ r}1$$

$$\begin{array}{r} 1,02 \\ 8 \overline{) 8,192} \end{array}$$

How many 8s in 19?

$$19 \div 8 = 2 \text{ r}3$$

$$\begin{array}{r} 1,024 \\ 8 \overline{) 8,192} \end{array}$$

How many 8s in 32?

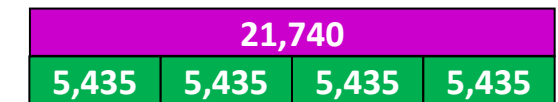
$$32 \div 8 = 4$$

Inverse

$$5,435 \times 4 = 21,740$$

$$21,740 \div 4 = 5,435$$

$$21,740 \div 5,435 = 4$$



Order of Operation

B - Brackets

I - Indices (squares, cubes)

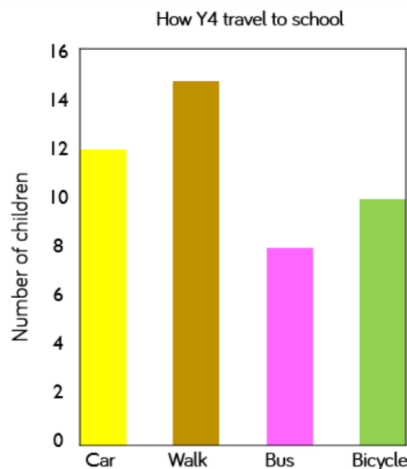
D/M - Division / multiplication

A/S - Addition / Subtraction

$$(3+7) \times 3 = 30$$

$$3+7 \times 3 = 24$$

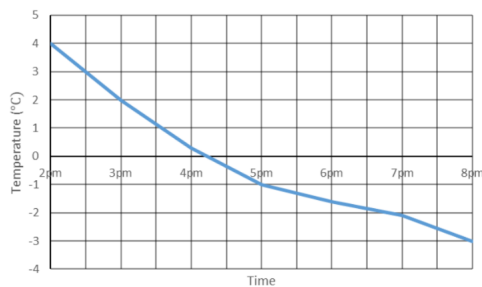
Bar and column charts



The information in a bar chart is read across. They are used to compare different data. In the above example, we can see that more children in Y4 walk to school

Line graphs

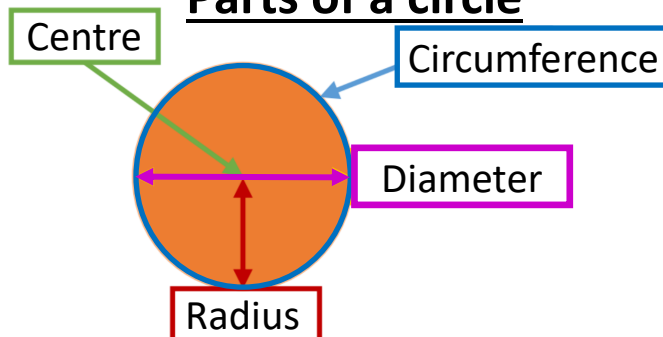
Line graph usually show us changes over time. They require us to read along the x and y axes.



For example, the graph above shows a temperature of around -1.5°C at 6pm, 4°C at 2pm and 1°C at 3:30pm.

Year 5/6 - Statistics

Parts of a circle



Pie charts

96 people took part in this survey.

Our favourite pets



Pie charts

compare values as parts of a **whole**.

$$\text{Dogs} = 96 \div 2 = 48$$

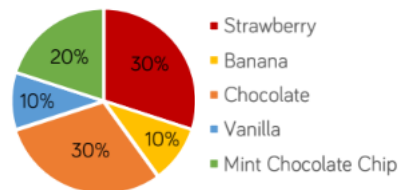
$$\text{Cats} = 96 \div 8 = 12$$

$$\text{Hamsters} = 12$$

$$\text{Horses} = 96 \div 4 = 24$$

Favourite Ice Cream Flavours

300 pupils voted for their favourite ice cream flavours



$$\text{Strawberry} = (300 \div 10) \times 3 = 90$$

$$\text{Banana} = 300 \div 10 = 30$$

$$\text{Chocolate} = 90$$

$$\text{Vanilla} = 300 \div 10 = 30$$

$$\text{Mint chocolate chip} = (300 \div 10) \times 2 = 60$$

Pictograms

In pictograms, an image is given a certain value.

1 square = 20 house points

Team	Number of house points
Sycamore	4 squares + 1 half square
Oak	3 squares + 1 half square
Beech	4 squares + 1 quarter square
Ash	5 squares

$$\text{Sycamore} = 4 \times 20 + (20 \div 2) = 80 + 10 = 90$$

$$\text{Oak} = 3 \times 20 + (20 \div 2) = 60 + 10 = 70$$

$$\text{Beech} = 4 \times 20 + (20 \div 4) = 80 + 5 = 85$$

$$\text{Ash} = 5 \times 20 = 100$$

The mean

$$\text{Mean} = \frac{\text{total of all the numbers}}{\text{the number of numbers}}$$

$$\text{Total} = 9 + 10 + 7 + 5 + 3 + 6 + 2 = 42$$

$$\text{Mean} = 42 \div 7 = 6$$

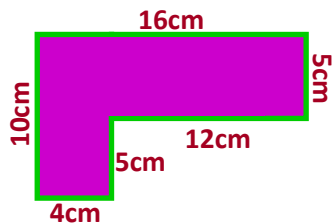
Two-way tables

	Boys	Girls	TOTAL
Dogs	87	44	131
Cats	38	76	114
TOTAL	125	120	245

The table above shows the number of **dogs** and **cats** owned by **girls** and **boys**

Perimeter

The perimeter of a shape or space is the distance around the outside.



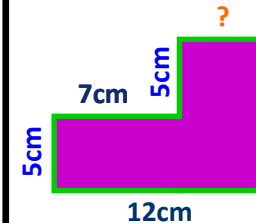
$$\begin{aligned} \text{Perimeter} &= 5\text{cm} + 16\text{cm} + 10\text{cm} + 4\text{cm} + 5\text{cm} + 12\text{cm} \\ &= 52\text{cm} \end{aligned}$$

Year 5/6 -

Perimeter, Area and Volume

Finding missing sides

Using the properties of shapes, we can find the length of missing sides.



$$\begin{aligned} ? &= 12\text{cm} - 7\text{cm} = 5\text{cm} \\ ? &= 5\text{cm} + 5\text{cm} = 10\text{cm} \end{aligned}$$

Area

The area of a shape is the amount of 2D space it takes up



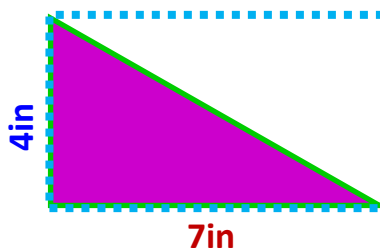
Perimeter

Area

Area of triangle

A **triangle** is half the size of a **rectangle** with the same **base** and **height**.

Therefore, the **area** is **half** the size.



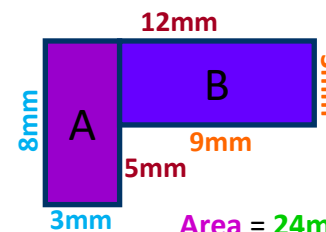
Area of triangle

$$= b \times h \div 2$$

$$\begin{aligned} \text{Area} &= 7\text{in} \times 4\text{in} \div 2 \\ &= 28\text{in}^2 \div 2 = 14\text{in}^2 \end{aligned}$$

Area of compound shapes

To find the **area** of compound shapes, simply split them into shapes you can find the area of.

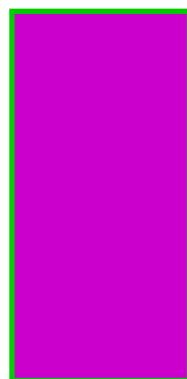
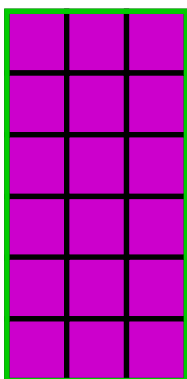


$$\begin{aligned} \text{Area of A} &= 3\text{mm} \times 8\text{mm} = 24\text{mm}^2 \\ \text{Area of B} &= 9\text{mm} \times 3\text{mm} = 27\text{mm}^2 \end{aligned}$$

$$\text{Area} = 24\text{mm}^2 + 27\text{mm}^2 = 51\text{mm}^2$$

Area of rectangle

Area of rectangle = $b \times h$



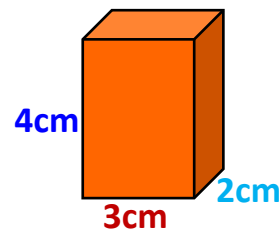
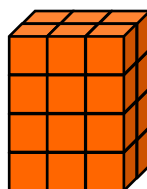
$$\text{Area} = 3\text{cm} \times 6\text{cm} = 18\text{cm}^2$$

Volume of cuboids

The **volume** of a cuboid is its "3D space"

It can be counted as cubes or by using

Volume of cuboid = **base** x **height** x **depth**

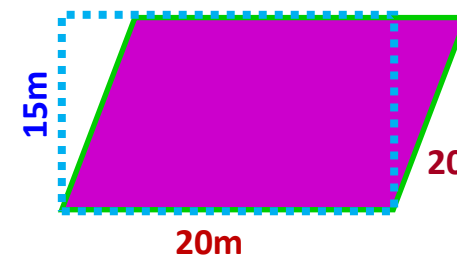


$$\begin{aligned} \text{Volume} &= 3\text{cm} \times 4\text{cm} \times 2\text{cm} = \\ &= 12\text{cm}^2 \times 2\text{cm} = 24\text{cm}^3 \end{aligned}$$

Area of Parallelogram

A **parallelogram** has the same area as a **rectangle** with the same **base** and **height**

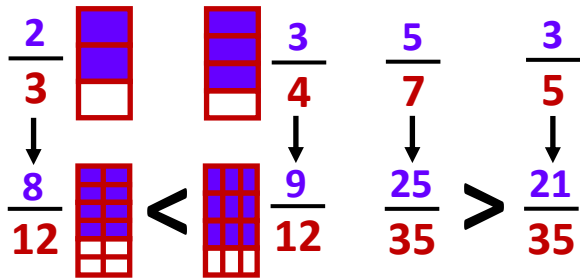
Area of parallelogram = $b \times h$



$$\begin{aligned} \text{Area} &= 20\text{m} \times 15\text{m} \\ &= 300\text{m}^2 \end{aligned}$$

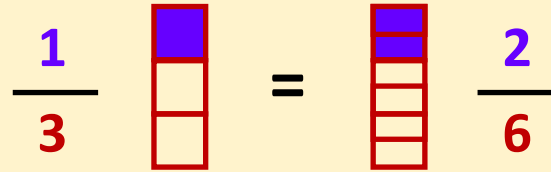
Compare and order fractions

If the **denominators** of our fractions are the same, they are easy to compare.



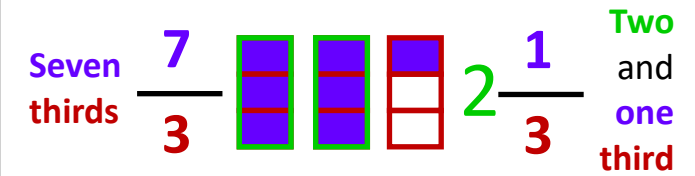
Equivalent fractions

As long as we multiply or divide the **numerator** and **denominator** by the same number, our fraction will be equivalent.



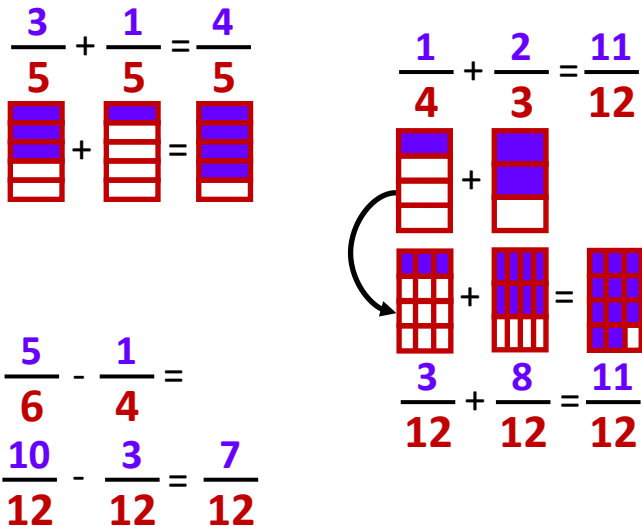
Improper and mixed numbers

Fractions which are bigger than 1.



Add and subtract fractions

If the **denominators** of our fractions are the same, we just add the **numerators**.

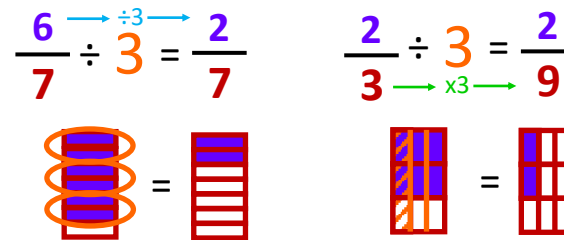


Year 5/6 -

Fractions (1)

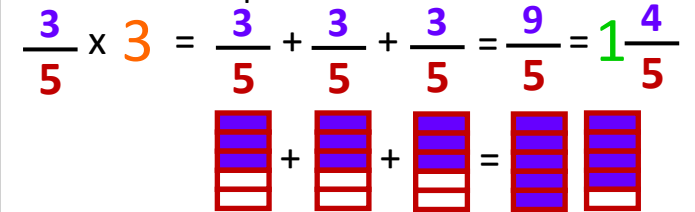
Dividing fractions

Dividing can be thought of as grouping (if **numerator** divisible by **integer**) or splitting.

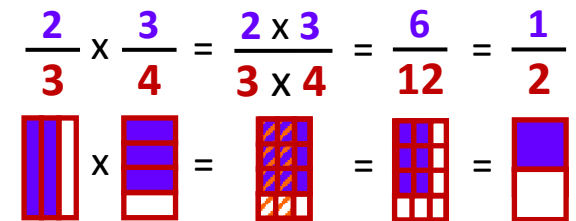


Multiplying fractions

If multiplying by an **integer**, think of it as repeated addition.



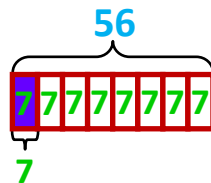
If multiplying fractions together, you multiply the **numerators** together and multiply the **denominators** together.



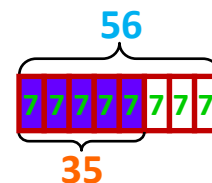
Find fractions of amounts

When finding fractions of amounts, remember the **denominator** is how many equal parts something has been split into and the **numerator** is how many parts you have

$\frac{1}{8}$ of 56 = $56 \div 8 = 7$



$\frac{5}{8}$ of 56 = $(56 \div 8) \times 5 = 7 \times 5 = 35$

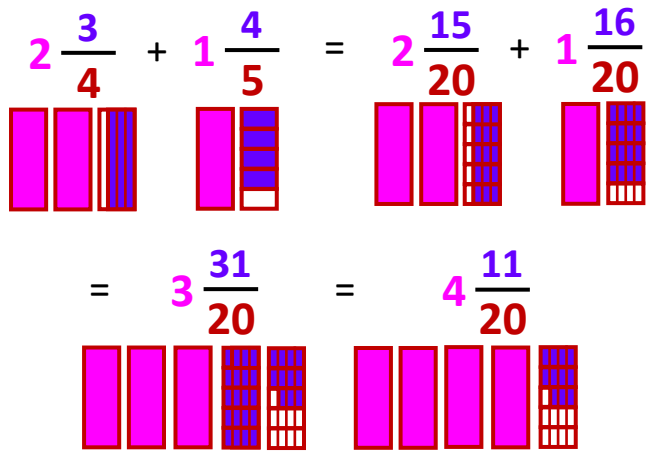


Extra note: multiplication will result in the exact same thing!!

$\frac{5}{8} \times 56 = \frac{5 \times 56}{8} = \frac{280}{8} = 35$

Year 5/6 - Fractions (2)

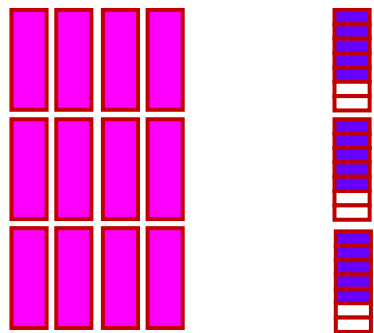
Adding mixed numbers



Multiplying mixed number

Remember to multiply the **integer** and the **fraction**.

$$4\frac{5}{7} \times 3 = 4 \times 3 + \frac{5}{7} \times 3$$



$$4\frac{5}{7} \times 3 = 12 + \frac{15}{7}$$

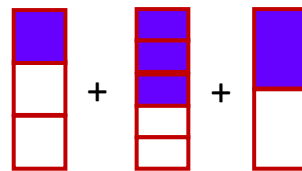
$$4\frac{5}{7} \times 3 = 12 + 2\frac{1}{7}$$

$$4\frac{5}{7} \times 3 = 14\frac{1}{7}$$

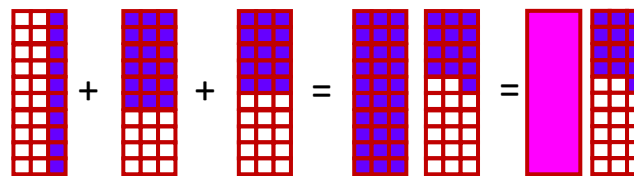
Adding three fractions

Convert them all into like fractions

$$\frac{1}{3} + \frac{3}{5} + \frac{1}{2}$$

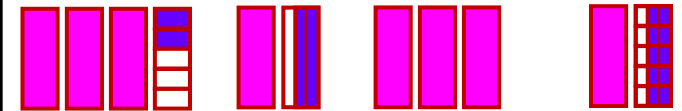


$$\frac{10}{30} + \frac{18}{30} + \frac{15}{30} = \frac{43}{30} = 1\frac{13}{30}$$

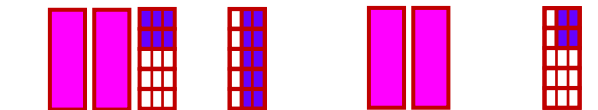


Subtracting mixed numbers

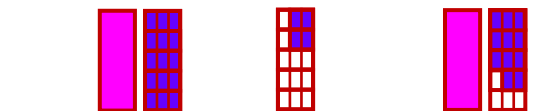
$$3\frac{2}{5} - 1\frac{2}{3} = 3\frac{6}{15} - 1\frac{10}{15}$$



$$= 2\frac{6}{15} - \frac{10}{15} = 2 - \frac{4}{15}$$



$$= 1\frac{15}{15} - \frac{4}{15} = 1\frac{11}{15}$$

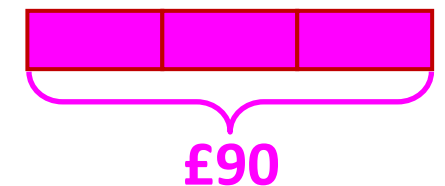
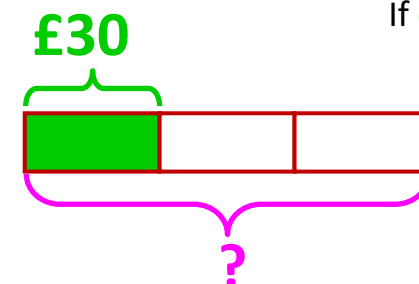
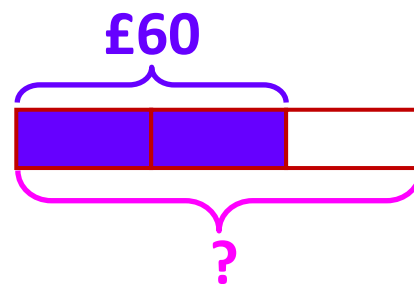


Finding Wholes

Sam spent **two thirds** of his money. If he'd spent **£60**, how much did he **start** off with?

If **two thirds** = £60, then **one third** = £30.

If **one third** = £30, then **three thirds** (or **the whole**) = £90



Decimal place value

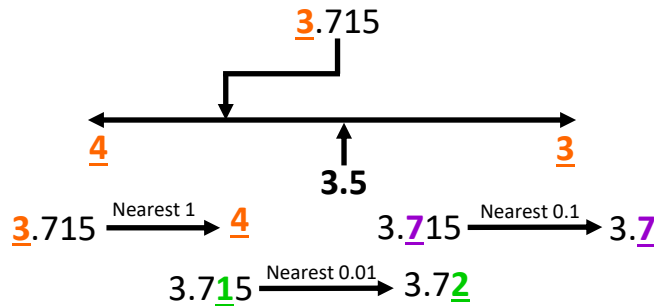
Ones (1s)	Tenths (0.1s)	Hundredths (0.01s)	Thousandths (0.001s)
1	$\frac{1}{10}$	$\frac{1}{100}$	$\frac{1}{1000}$
5	2	6	4

$$5.264 = 5 + 0.2 + 0.06 + 0.004$$

Year 5/6 - Decimals and Percentages

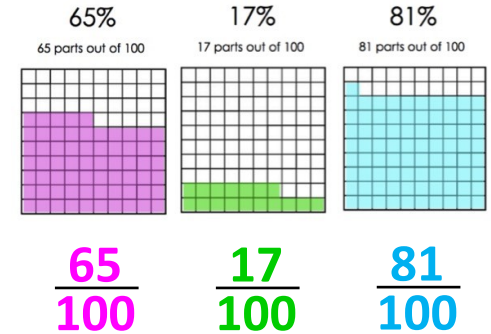
Rounding decimals

e.g. Rounded to the nearest whole number



Percentages

Percent means **per 100** or **/100**



Percentages of amounts

$$50\% = \frac{1}{2} = \div 2 \quad 10\% = \frac{1}{10} = \div 10$$

$$25\% = \frac{1}{4} = \div 4 \quad 1\% = \frac{1}{100} = \div 100$$

Using these rules we can make any percentage, e.g.

$$5\% = 10\% \div 2 \text{ or } 1\% \times 5$$

$$40\% = 10\% \times 4 \text{ or } 50\% - 10\% - 10\%$$

$$35\% \text{ of } 240 = 72 + 12 = 84$$

$$10\% \text{ of } 240 = 24$$

$$30\% \text{ of } 240 = 72 \quad \begin{matrix} \nearrow \times 3 \\ \searrow \div 2 \end{matrix} \quad 5\% \text{ of } 240 = 12$$

An easier way? (Particularly for tricky percentages)

We know percentages are easy to turn to /100

$$35\% \text{ of } 240 = 35/100 \text{ of } 240$$

$$240 \times 35 = 8,400 \quad 8,400 \div 100 = 84$$

$$35\% \text{ of } 240 = 84$$

Ordering decimals

START with the digits

$$5.53 < 6.09$$

with the most value.

If the digits are the

$$7.781 > 7.769$$

same move to the next.

Remember to check

$$3.7 > 3.302$$

the column value

Decimals and fractions

$$\frac{1}{10} = 0.1 \quad \frac{1}{100} = 0.01 \quad \frac{1}{1000} = 0.001$$

$$0.35 = \frac{3}{10} + \frac{5}{100} = \frac{35}{100}$$

$$0.741 = \frac{7}{10} + \frac{4}{100} + \frac{1}{1000} = \frac{741}{1000}$$

$$\frac{100}{100} = 100\% \quad \frac{1}{100} = 1\% \quad \frac{37}{100} = 37\%$$

Common fraction, decimal, % equivalencies

$$\frac{1}{10} = 0.1 = 10\% \quad \frac{3}{4} = 0.75 = 75\%$$

$$\frac{1}{2} = 0.5 = 50\% \quad \frac{1}{5} = 0.2 = 20\%$$

$$\frac{1}{4} = 0.25 = 25\% \quad \frac{1}{8} = 0.125 = 12.5\%$$

Multiplying Decimals

$$\begin{array}{r} \text{£}5.53 \\ \times 6 \\ \hline \text{£}33.18 \end{array}$$

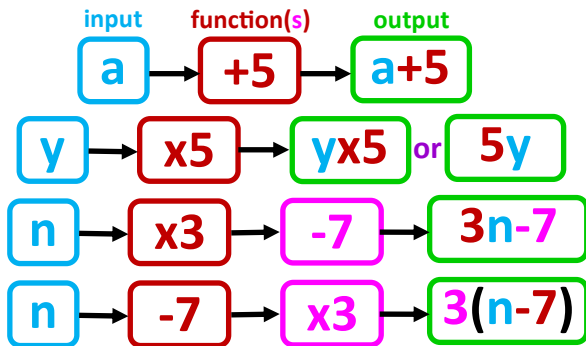
Decimal point stays where it is

Dividing Decimals

$$\begin{array}{r} \text{£}0.63 \\ 6 \overline{) \text{£}3.78} \end{array}$$

Decimal point stays where it is

Finding an algebraic rule



Using an algebraic rule

$b+12$ if $b=7$, $b+12=19$
if $b=3$, $b+12=15$

$n+m$ if $n=7$ and $m=3$, $n+m=10$
if $n=9$ and $m=-7$, $n+m=2$

$3t+8$ if $t=3$, $3t+8=3 \times 3+8=17$
if $t=7$, $3t+8=3 \times 7+8=28$

Finding possible values

$a + b = 6$	$3c - 7 = y$
$a = 4, b = 2$	$c = 4, y = 5$
$a = 3, b = 3$	$c = 2, y = -1$
$a = 1, b = 5$	$c = 10, y = 23$
$a = -3, b = 9$	$c = 100, y = 293$

Year 5/6 - Algebra

Solving equations

$c + 13 = 22$

c	13
22	

$c = 22 - 13 = 9$

$3f = 36$

f	f	f
36		

$f = 36 \div 3 = 12$

$2y - 7 = 49$

y	y	7
49		

$2y = 49 + 7 = 56$
 $y = 28$

Using a formula

Algebraic formulae are rules which describe a mathematical relationship - e.g.

The formula for the area of a triangle

$$\text{Area} = b \times h \div 2$$

The total cost of a taxi journey (C) is £1.50 and 30p for the number of miles travelled (m).

$$C = \text{£}1.50 + \text{£}0.30 \times m$$

Algebra and word problems

Word problems can be shown algebraically.

I think of a number $\rightarrow x$

I multiply it by 6 $\rightarrow 6x$

I then add 4 $\rightarrow 6x+4$

My new number is 34 $\rightarrow 6x+4=34$

$$6x+4=34 \rightarrow 6x=30 \rightarrow x=5$$

Alice, Sophie and Matt are siblings.

Alice is twice as old as Matt. Sophie is 7 years older than Matt.

If Sophie is 12, how old is Alice?

$A = 2M$ If $S = 12$, $M = 5$ and

$M = S - 7$ $A = 2 \times 5 = 10$

Lenny and Carl have £120 between them.

Lenny has three times as much as Carl.

How much do they have each?

$$L + C = \text{£}120$$

$$L = 3C$$

$$3C + C = \text{£}120 = 4C$$

$$\text{Carl} = \text{£}30$$

$$\text{Lenny} = \text{£}30 \times 3 = \text{£}90$$

Language of Ratio

A ratio shows the relationship between values.



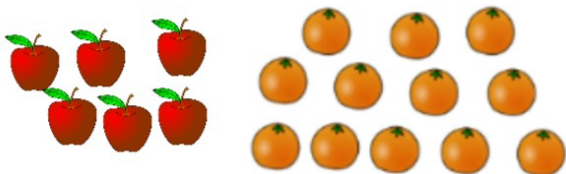
For every 2 **blue flowers** there are 4 **pink flowers**. The ratio of **blue flowers** to **pink flowers** is **2:4**.

OR

For every **blue flower** there are 2 **pink flowers**. The ratio of **blue flowers** to **pink flowers** is **1:2**.

Ratios and fractions

Ratios and fractions are very closely linked.



The ratio of **apples** to **oranges** is **6:12** or **1:2**.

There are **1/2 the number of apples** compared to **oranges** OR there are **twice** as many **oranges** as **apples**.

The ratio of **apples** to **the total number of fruit** is **6:18** or **1:3**.

1/3 of **all the fruit** are **apples**.

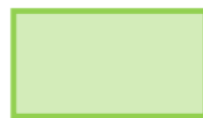


Year 5/6 - Ratio

€

Scale factors

When a shape is increased by a scale factor, the length and width are multiplied by the scale factor.



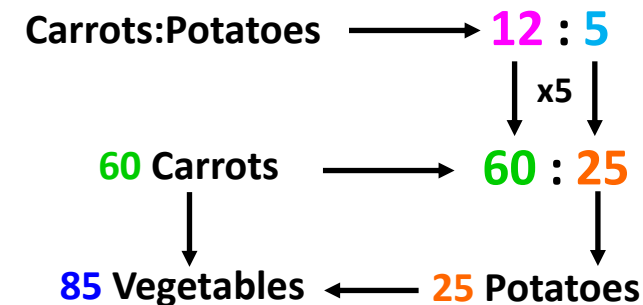
2 cm
4 cm
The green rectangle has been increased by a **scale factor of 3**



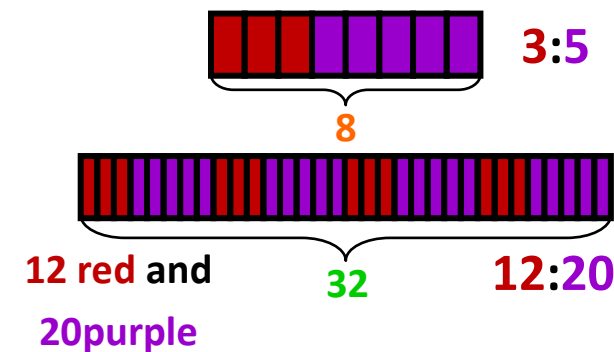
6 cm
12 cm
to make the yellow rectangle.

Calculating ratios

A farmer plants some crops in a field. For every **12 carrots**, she plants **5 potatoes**. She plants **60 carrots** in total. How many **potatoes** did she plant? How many **vegetables** did she plant in total?



Emily has a packet of sweets. For every **3 red sweets** there are **5 purple sweets**. If there are **32 sweets in the packet in total**, how many of each colour are there?



If you had **3 red sweets**, you'd have **5 purple** - so **8 sweets in total**. **8** goes into **32 4 times** - so you'd have **3x4 red sweets** and **5x4 purple**.

Flapjacks

Serves: 10

120 g butter

100 g dark brown soft sugar

4 tablespoons golden syrup

250 g rolled oats

40 g sultanas or raisins

John has 180g of butter. What is the largest number of flapjacks he can make?

120g of butter
↓
Serves 10

180g of butter
↓
Serves 15

120 : 180
÷60
2 : 3
x5
10 : 15

Metric vs Imperial

Volume	Distance	Mass
millilitres (ml) centilitres (cl) litres (l)	millimetres (mm) centimetres (cm) metres (m) kilometres (km)	milligrams (mg) grams (g) kilograms (kg)
Pints (pt) gallons (gal)	inches (in) feet (ft) yards (yd)	ounces (oz) pounds (lb) stone (st)

Time Conversion

- seconds
- minutes
- hours
- days
- weeks
- months
- years

60 seconds = 1 minute

60 minutes = 1 hour

24 hours = 1 day

7 days = 1 week

28/29/30/31 days = 1 month

~365 days = 1 year

~52 weeks = 1 year

12 months = 1 year

Miles to Kilometres

5 miles ≈ 8 kilometres

e.g.

45 miles = 9 x 5 miles

9 x 8 kilometres = 72 kilometres

45 miles ≈ 72 kilometres

Year 5/6 -

Converting Units

Calculating with measures

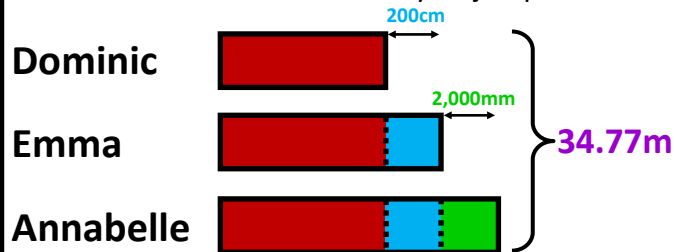
A parcel weighs 439 grams. How many kilograms would 27 parcels weigh?

$$439g \times 27 = 11,853g = 11.853kg$$

Dominic, Emma and Annabelle jumped a total of 34.77m in a long jump competition.

Emma jumped exactly 200cm further than Dominic. Annabelle jumped exactly 2,000mm further than Emma.

What distance did they all jump?



$$2,000mm = 200cm \quad 34.77m = 3,477cm$$

$$3,477cm - 200cm - 200cm - 200cm = 2,877cm$$

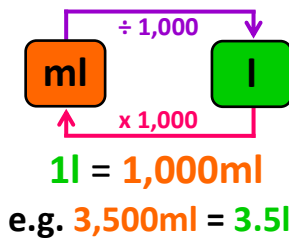
$$2,877cm \div 3 = 959cm = \text{Dominic}$$

$$959cm + 200cm = 1,159cm = \text{Emma}$$

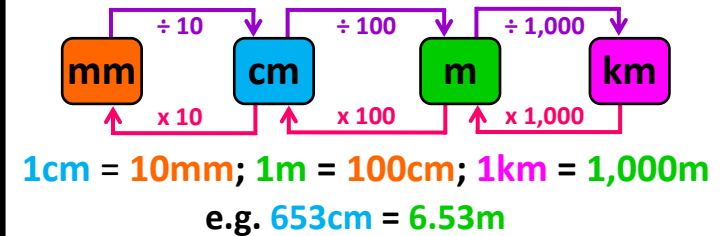
$$1,159cm + 200cm = 1,359cm = \text{Annabelle}$$

Converting metric units

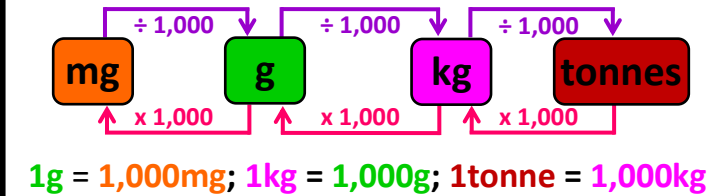
Volume



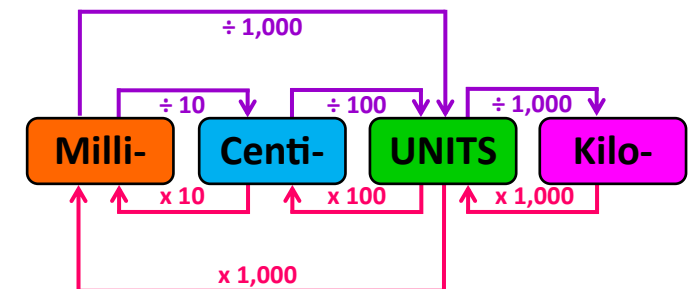
Distance



Mass

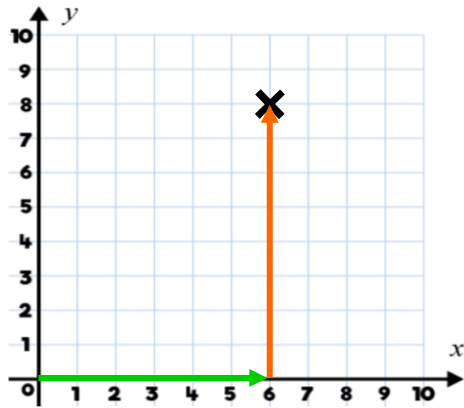


All metric units follow the pattern below; however, not all terms are regularly used (e.g. we don't regularly use cg or kl)



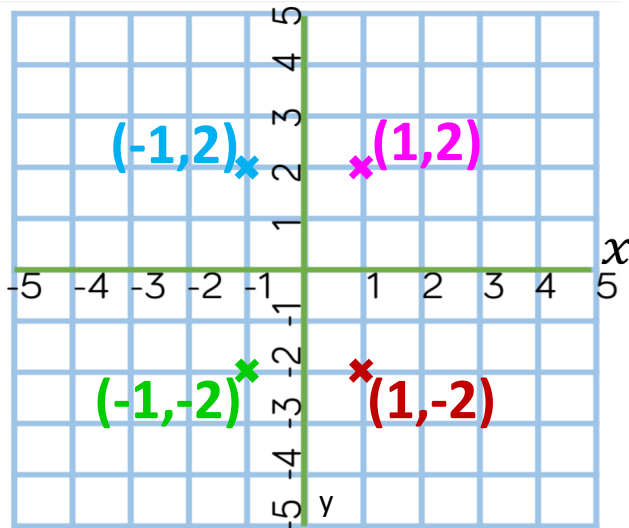
Plotting in the first quadrant

(6,8)



When plotting co-ordinates, the **first co-ordinate** represents moving in the **x-direction** and the **second co-ordinate** represents moving in the **y-direction**.

All four quadrants



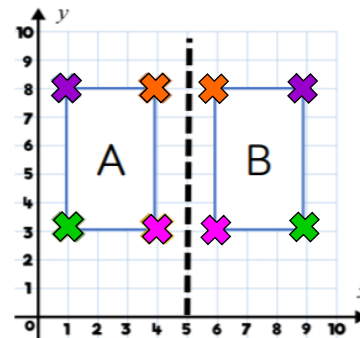
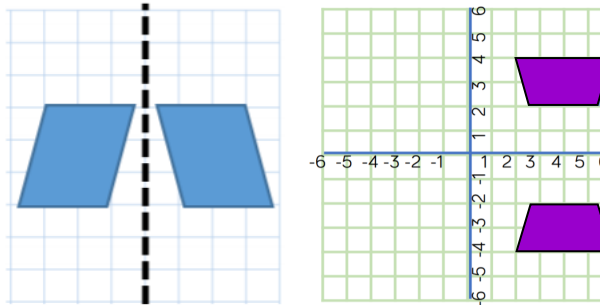
With four quadrants, co-ordinates can be in a positive and negative direction

Year 5/6 -

Position and direction

Reflections

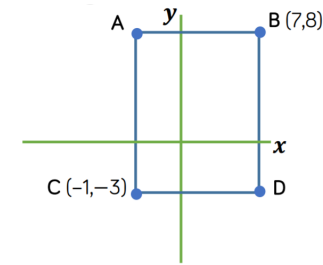
Reflections are where a shape or co-ordinates are mirrored across a line.



As you can see in the above example, the co-ordinates closest to the line of reflection in shape A are still the closest after being reflected.

$(4,3) \rightarrow (6,3)$ / $(4,8) \rightarrow (6,8)$
 $(1,3) \rightarrow (9,3)$ / $(1,8) \rightarrow (9,8)$

Properties of shapes



A will have the same **x co-ordinate** as C.

A will have the same **y co-ordinate** as B.

D will have the same **x co-ordinate** as B.

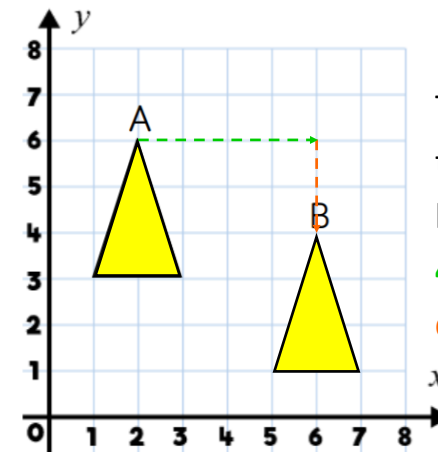
D will have the same **y co-ordinate** as C.

$B = (7,8)$ $A = (-1,8)$
 $C = (-1,-3)$

$B = (7,8)$ $D = (7,-3)$
 $C = (-1,-3)$

Translation

Translations are where a shape or co-ordinates are move across the **x-axis** and up or down the **y-axis**.



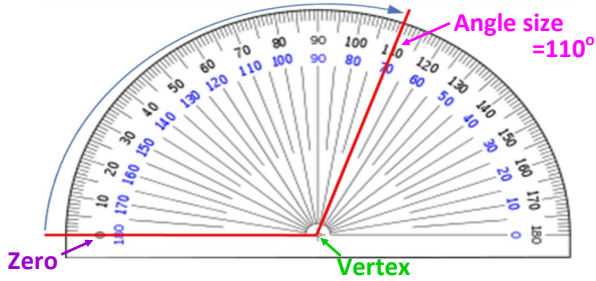
The yellow triangle has been translated **4 right** and **2 down**.

Vertex A = $(2,6)$

Vertex B = $(6,4)$

The **x co-ordinate** has **increased by 4** and the **y co-ordinate** has **decreased by 2**.

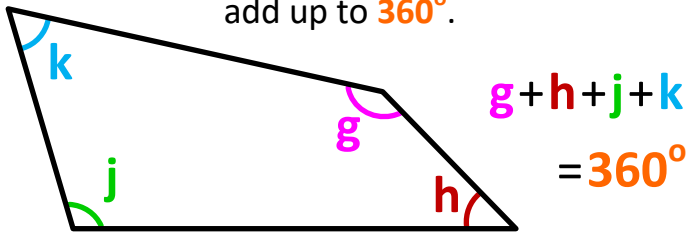
Measuring angles



When measuring angles, place the centre of the protractor on the **vertex** - with **one line meeting a zero**. Follow around from the **0** until you reach **the next line** to read the angle.

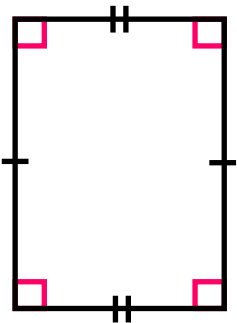
Angles in quadrilaterals

The interior angles in a quadrilateral always add up to 360° .



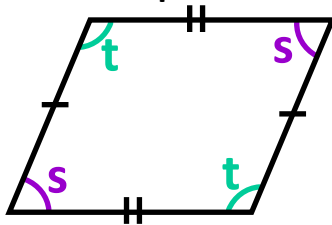
Rectangles

(including squares) have **four 90° angles**.



Parallelograms

(including rectangles and rhombuses) the **opposite angles are equal**.

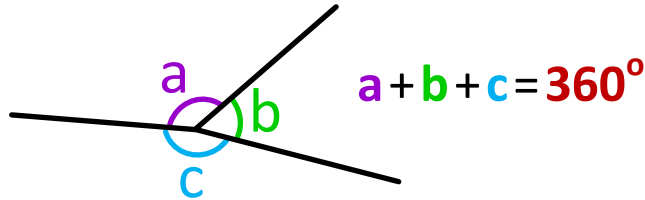


Year 5/6 -

Properties of shapes: Angles

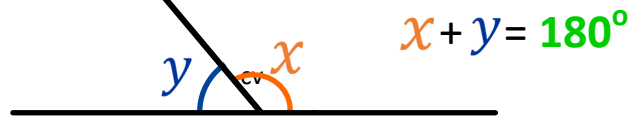
Angles on a straight line

All the angles around a point will add up to 360° .



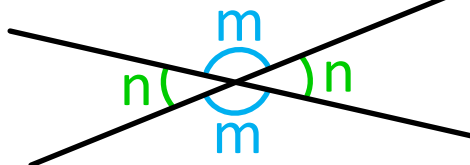
Angles on a straight line

All the angles along a straight line will add up to 180° .



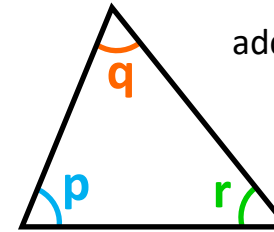
Vertically opposite angles

Opposite angles of two straight intersecting lines will always be equal.



Angles in a triangle

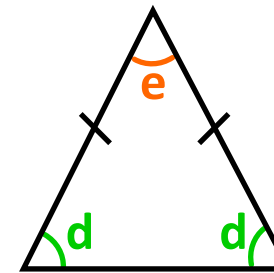
The interior angles in a triangle always add up to 180° .



$$p + q + r = 180^\circ$$

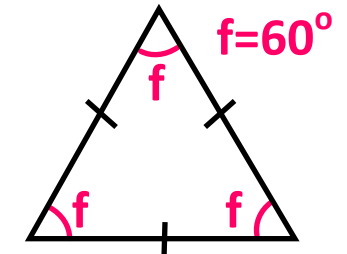
Isosceles triangle

Has two sides of equal length and **two equal angles**.



Equilateral triangle

Has three sides of equal length and **three equal angles**.



Regular shapes

Regular shapes have sides with the same lengths and all equal angles.

Interestingly, for each extra side on a polygon, the sum of the angles is 180° more.

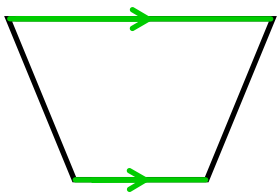
Shape (no. of sides)	Sum of angles	Single angle in regular shape
Triangle (3)	180°	$180^\circ \div 3 = 60^\circ$
Quadrilateral (4)	360°	$360^\circ \div 4 = 90^\circ$
Pentagon (5)	540°	$540^\circ \div 5 = 108^\circ$
Hexagon (6)	720°	$720^\circ \div 6 = 120^\circ$

Quadrilaterals

Any **4-sided polygon** is called a quadrilateral.

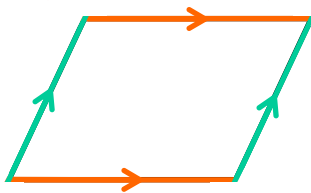
Trapezium

- at least one pair of parallel lines



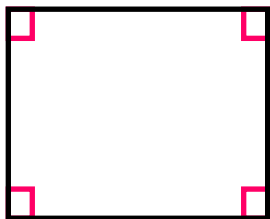
Parallelogram

A type of trapezium
- opposite sides are parallel and equal



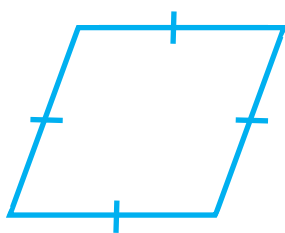
Rectangle

A type of parallelogram
- all four interior angles are 90°



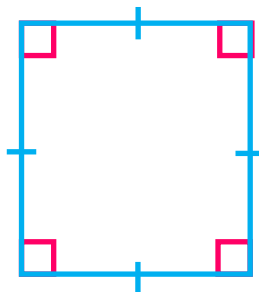
Rhombus

A type of parallelogram
- all four sides are equal in length



Square

A regular quadrilateral
A type of rectangle and rhombus
- opposite sides are equal in length
- four 90° angles



Shape Vocabulary

<u>Term</u>	<u>Definition</u>
Corner	The point where 2 line meet
Side	The lines forming the outside of a 2D shape
Vertex	The point where 2 (or more) lines meet
Face	The flat 2D surfaces of a 3D shape
Edge	The part where 2 faces in a 3D shape meet
Parallel	Describes two lines which will never meet

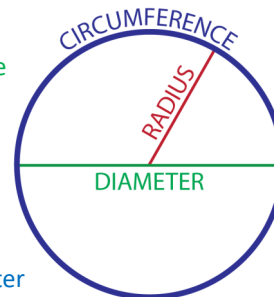
Year 5/6 - 2D and 3D shapes

Circles

Radius - the distance from the centre of a circle to the outside

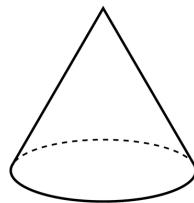
Diameter - the distance from one side of a circle to the other (passing through the centre)

Circumference - a circle's perimeter



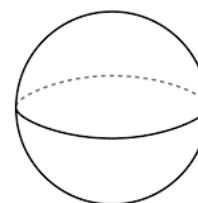
Cone

a cone has a circular base which joins at an apex



Sphere

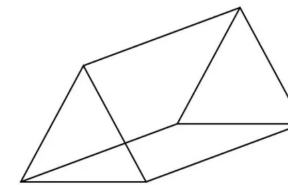
a sphere is a perfectly round 3D shape



3D Shapes

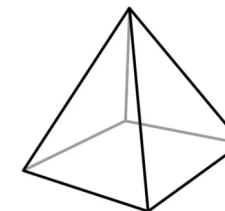
Prisms

has 2 faces of a given polygon - which are connected by rectangular faces
e.g.
A **triangular prism**:



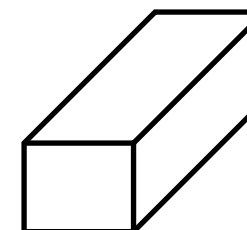
Pyramids

has a base of a given polygon - which joins at a vertex.
e.g.
A **square-based pyramid**:



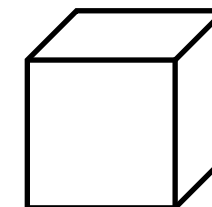
Cuboid

a cuboid is a rectangular prism



Cube

a cube is a cuboid - where all 6 faces are square



Cylinder

a cylinder has 2 circular faces connected by a curved surface

